## In-Class Exercise: Extra Credit

Given vertex $v$ in a cell complex of a 2-manifold, the link of $v$ is defined to be the edges that bound the faces that are incident to $v$, excluding the edges that are incident to $v$ itself. Present a procedure (in pseudocode) that, given a vertex $v$ of a DCEL, returns a list $L$ consisting of the half edges of $v$ 's link ordered counterclockwise about $v$. For example, in the figure below, a possible output would be $\left\langle e_{1}, \ldots, e_{11}\right\rangle$. (Any cyclic permutation would be correct.)


## Solution:

The solution provided below is very short, but a bit tricky. We start with any edge $e$ that is directed out of $v$. We start following edges around the face lying to $e$ 's left side, adding each to the link. (In the above figure, this will add $e_{1}$ through $e_{4}$ to the list, and the next edge visited will be directed into $v$.) When we return to $v$ (that is, when the destination of the edge is $v$ ) we make a U-turn by setting $e$ to its twin, and resume from there. (In the figure above, the next edge to be visited will be $e_{5}$.)

```
link(Vertex v) {
    L = new empty-list
    e = e0 = v.incident; // any edge coming out of v
    do {
        e = e.next; // next edge about e's left face
        if (e.dest == v) // returning to v?
            e = e.twin;
        else
            add e to L; // e is an edge of the link
    } while (e != e0);
}
```



